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Abstract

This paper proposes a deep neural network structure that exploits edge information in addressing representative low-level vision tasks such as layer separation and image filtering. Unlike most other deep learning strategies applied in this context, our approach tackles these challenging problems by estimating edges and reconstructing images using only cascaded convolutional layers arranged such that no handcrafted or application-specific image-processing components are required. We apply the resulting transferrable pipeline to two different problem domains that are both sensitive to edges, namely, single image reflection removal and image smoothing. For the former, using a mild reflection smoothness assumption and a novel synthetic data generation method that acts as a type of weak supervision, our network is able to solve much more difficult reflection cases that cannot be handled by previous methods. For the latter, we also exceed the state-of-the-art quantitative and qualitative results by wide margins. In all cases, the proposed framework is simple, fast, and easy to transfer across disparate domains.

1. Introduction

Inspired by the tremendous success of deep learning for large-scale visual recognition tasks like ILSVRC [28, 20], a variety of recent work has investigated deep neural networks for low-level computer vision tasks such as image denoising [27, 11], shadow removal [15], and image smoothing [38, 24]. Given that edges represent an important cue in addressing many of these problems, networks that can replace computationally-expensive or otherwise inflexible edge-aware filters naturally show promise.

For example, the underlying goal of image smoothing is to extract sparse salient structures, like perceptually important edges and contours, while minimizing the color differences in image regions with low amplitude. To approximate different edge-sensitive image smoothing filters which potentially have slow runtimes [2, 6, 8, 26, 37, 39, 42, 43] with deep networks, it has been proposed to first learn a salient gradient/weight map and then subsequently filter images via simpler, weighted optimization procedures [38] or iterative recursive processing techniques [24]. The above approaches focus on solving a single/major problem using a plain CNN model followed by more traditional, inflexible operations inspired by fixed filtering methods. Consequently, they are not fully extensible to implementing broader image smoothing effects or other significantly different problems such as image layer separation.

In this latter regard, one typical case where gradient domain statistics are relevant is in dealing with image reflections, that are often at least partially out of focus, when provided with a single image. When taking a photo through a glass window, the glare or reflection tends to distract the eye from the scene behind the glass. Many attempts to mitigate these effects, such as using a polarizer [19, 31], draping a large piece of black cloth over the lens and the glass to block ambient light from behind, or changing positions [22, 40, 41], are simply infeasible in many practical situations. Moreover, when taking photographs in airplane, museum, aquarium, or related environments, there is no other recourse but to shoot through the window. Consequently, it is common for photographers to simply widen the aperture of the camera and blur out the reflections.

To address this reflection removal problem from a computational perspective, traditional imaging models assume that the captured image \( I \) is a linear combination of a background layer \( B \) and a reflection layer \( R \), \textit{i.e.}, \( I = B + R \). Obviously this is an ill-posed problem as there exist infinite feasible solutions, and hence most reflection removal algorithms require multiple input images [7, 30, 1, 19, 12, 22, 40, 41] or manual user interactions [21] to label reflection-and background-layer gradients, thus condensing the space of candidate solutions. However, one exploitable property in the reflection removal problem is that the gradients or perceptual structures of the two layers exhibit different distributions, since reflections often display a greater degree

\textsuperscript{*}This work was done when Qingnan Fan was an intern at MSR.
of blurring. This then naturally leads us towards edge-based solutions, with data-driven network variants considered herein.

In this paper, we present a Cascaded Edge and Image Learning Network (CEILNet) that can be tailored to solve different image processing tasks such as layer separation (e.g., reflection removal) and image filtering (e.g., image smoothing). We rely on an overriding generic structure that is specialized in each instance via domain-specific edge information. The core framework operates in a very intuitive way. In brief, we separate the difficult task of directly predicting an image into two subproblems: (i) predicting the edge maps of the target images via a deeply supervised sub-network, and then (ii) reconstructing the target images by leveraging the predicted edge maps. These tasks are learned end-to-end by cascading two similar simple CNNs, and no hand-crafted modules are required. The edge map represents any color difference between each pair of adjacent pixels for task-specific target images, instead of sparse salient structures as in edge detection problems.

Of course, these objectives require ample training data to be feasible in practice. For image smoothing, this is not especially problematic provided sufficient computational resources are available for producing filter outputs across a corpus of images. However, for many layer separation tasks ground-truth instances are scarce. We therefore propose a novel weakly supervised learning method for training our reflection removal pipeline. This involves the use of images synthetically corrupted via reflections that mimic the physical properties of those found in natural scenes.

Our contributions can be summarized as follows:

- We propose a new, generic Cascaded Edge and Image Learning Network (CEILNet) that relies only on convolutional layers and is specifically designed to tackle edge-sensitive image processing tasks without resorting to any handcrafted, application-specific components. This structure is fast, extensible, and easy to reproduce, facilitating the seamless transfer to different low-level vision problems.

- We are the first to solve the challenging layer-separation problem of reflection removal from single images using deep learning techniques. We also propose a novel weakly supervised learning strategy combined with CEILNet.

- Beyond reflection removal, we demonstrated state-of-the-art visual and numerical performance using CEILNet on the image smoothing task, surpassing previous methods by a wide margin.

2. Related Work

Reflection Removal: Reflection removal is fundamentally an underdetermined problem and therefore requires prior knowledge or additional information to achieve any degree of success. Perhaps the most popular practical remedy is to use multiple input images, such as flash/non-flash image pairs [1], focus/defocus pairs [30], video sequences where background and reflection exhibit different motions [7, 34, 29, 9, 22, 33, 12, 40, 41], or those obtained through a polarizer at two or more orientations [19, 31, 29]. A few ambitious approaches attempt single image reflection removal, a far more difficult but practical scenario. In [21], manual annotation is required to guide an optimization-based layer separation. [32] compensates for the limited information by exploiting ghost cues, but this approach is not applicable beyond this somewhat specialized situation, or in the majority of practical cases. [35] leverages a multi-scale DoF computing strategy to separate reflection from background.

In terms of automatic reflection removal from a single image with minimal assumptions, the work most closely related to ours is [23]. This approach assumes the reflected layer is relatively blurry compared to the background scene, thus large gradients in it are strongly penalized in their optimization. However, we observe that the reflection in many real-world photographs, although indeed sometimes out of focus or blurry, is nonetheless produced by bright lights and often comprises the brightest portion of an image. The regional gradients associated with these reflections can therefore be quite large, violating the assumption in [23]. In this work, we synthesize a database of training samples that better capture the background and reflection statistics, and replace prior knowledge injected through explicit gradient penalization or energy minimization with a particular deep network to capitalize on this form of weak supervision. Empirically we will later show that indeed significant improvement is possible on real images.

Image Smoothing: Given the recent effectiveness of parallel computation through GPUs, and the strong learning capability of deep neural networks, replacing computationally-expensive, optimization-based smoothing filters with cheap neural modules has drawn a lot of attention [38, 24]. However, because accurately capturing smoothing effects with a fully convolutional deep network can be challenging. [38] trains a shallow CNN on the gradient domain followed by an optimized image reconstruction post-processing step with sensitive parameters tuned for each different smoothing filter. From a somewhat different perspective, by treating spatially-variant recursive networks as surrogates for a group of distinct filters, [24] combines sparse salient structure prediction implemented as CNN with image filtering in a hybrid neural network.

While significant differences exist, all of these prior methods lean on traditional optimization or filtering techniques at some point in their pipelines. Moreover, they are mostly applied to image smoothing using filter- or effect-
dependent implementations without a universal, trainable parametric structure. This can potentially contribute to degraded performance since no single optimization or filtering strategy is likely to generalize to all different image smoothing effects. In contrast, our method learns a generic, fully-convolutional structure with no attendant postprocessing or otherwise fixed, filter-inspired structures. Empirical experiments demonstrate that this revised strategy outperforms the best existing work by a wide margin.

3. Network Structure

Our network consists of two cascaded sub-networks: an edge prediction network E-CNN and an image reconstruction network I-CNN. Figure 1 is a schematic description of the architecture, which is unchanged for both the reflection removal and image smoothing applications.

3.1. E-CNN: The Edge Prediction Network

When dealing with edge-sensitive image processing tasks like reflection removal and image smoothing, edge-related cues are naturally leveraged by many existing algorithms [21, 22, 40, 10, 38]. Similarly, given a source image $I^s$, we apply a CNN to learn an edge map $E^s$ of the target image $I^t$ (i.e., the background layer for reflection removal or the smoothed image for image smoothing). Note that the goal is to predict the edges of the target image, not the input image, and it is crucial not to confuse this procedure with conventional edge detection [3, 36].

In this work, our edge map is not binary, as we empirically found binary edge maps are less informative for the subsequent image reconstruction. Instead, we designed a simple but effective edge representation: the mean absolute color difference between a center pixel and its four-connected neighbors. Specifically, the edge map $E$ of an image $I$ is computed by:

$$E_{x,y} = \frac{1}{4} \sum_c \left( |I_{x,y,c} - I_{x-1,y,c}| + |I_{x,y,c} - I_{x+1,y,c}| 
+ |I_{x,y,c} - I_{x,y-1,c}| + |I_{x,y,c} - I_{x,y+1,c}| \right)$$

where $x, y$ are the pixel coordinates and $c$ refers to the channels in the RGB color space.

In order to ease the computation, we augment the source image $I^t$ with its edge map $E^s$ as an additional channel for input. The intuition behind is simple: either a reflection-free background layer or an image smoothed via a filtering process can be viewed as “simplified” versions of the original source images, and their edge maps are roughly “attenuated” versions of the source image edge maps. We observed that such an augmentation can not only lead to better results but also significantly accelerate the convergence during training. In summary, E-CNN approximates the following function $f$:

$$E^t = f(I^t, E^s)$$

3.2. I-CNN: The Image Reconstruction Network

The second sub-network, I-CNN, is designed to reconstruct the target image $I^t$ by learning how to process the input image $I^s$ given the target edge map $E^t$ predicted by E-CNN. In other words, it approximates the following function $g$:

$$I^t = g(I^s, E^t)$$

The input image and the target edge are combined to be a 4-channel tensor as input, similar to E-CNN, hence their shared use of the same overall structure. Additionally, in the context of the edge-based image reconstruction step of image smoothing tasks, the I-CNN serves as a multi-purpose, data-driven substitution for traditional fixed filtering operations or optimization-based postprocessing structures.
For simplicity, we employ the deep CNN structure shown in Fig. 1 (b) for both E-CNN and I-CNN. The two sub-nets only differ in the channel number of the final output, i.e., 1 for E-CNN vs. 3 for I-CNN. In each case, we employ 32 convolutional layers with the same 3×3 kernel size (except for the third-to-last layer; see below). The intermediate 30 convolutional layers all have 64-dimensional input and output feature maps. The first 31 layers are followed by batch normalization (BN) and ReLU. To ensure better contextual information, we enlarge the receptive field by downsampling the internal feature map to half size and then upsampling it back by changing the stride of the third convolution layer to 2 and third-to-last convolution layer to deconvolution with stride 2 and kernel size 4×4. In this way, the receptive field is effectively enlarged without losing too much image detail, and meanwhile the computation cost is halved. For better performance and faster convergence, we implement the middle 26 convolution layers as 13 residual units [14] similar to [5].

Finally, to resolve the color attenuation issue [16, 17] observed in deep networks, we slightly magnify the predicted image \(I^t\) via \(s_c \triangleq \arg \min_{s_c} \|I_c^t - s_c \cdot I_c^t\|_2^2\) and \(I_c^t \leftarrow s_c \cdot I_c^t\). This global color correction is implemented as a parameter-free layer after I-CNN. Its computational cost is negligible.

**4. Network Training**

This section first presents our training pipeline, that applies independently of the data source. Later we describe application-specific means of generating training samples.

**4.1. Training Details**

We employ a two-phase network training algorithm shown in Fig. 2. Specifically, we first train the sub-networks separately with ground-truth images and their edge maps to ensure the best individual performances. We then fine-tune the entire network end-to-end, granting the two sub-nets more opportunity to cooperate accordingly.

The sub-nets are trained by minimizing the mean squared errors (MSE) of their predictions. Let the symbol * denote ground truth, the loss for edge prediction is

\[
l_E(\theta) = \|E^t - E^{t*}\|_2^2. \tag{4}\]

For image prediction, we minimize not only the color MSE but also the discrepancy of gradients:

\[
l_I(\theta) = \alpha \|I^t - I^{t*}\|_2^2 + \beta (\|\nabla_x I^t - \nabla_x I^{t*}\|_1 + \|\nabla_y I^t - \nabla_y I^{t*}\|_1). \tag{5}\]

The gradient discrepancy cost, though seemingly redundant, helps to prevent the deep convolutional network from generating blurry images [25]. In the joint training phase, we train the entire network by minimizing the loss:

\[
l(\theta) = l_I(\theta) + \gamma l_E(\theta). \tag{6}\]

For all experiments across reflection removal and image smoothing, the loss coefficients are empirically set as \(\alpha = 0.2, \beta = \gamma = 0.4\) (other selections produce similar results).

We initialize the convolution weights using the approach from [13] and train all networks using ADAM [18] with mini-batch size fixed at 1. When training the two sub-nets separately, the learning rate is set to 0.01 over the initial iterations, e.g., 40 and 25 epochs for reflection and imaging smoothing tasks respectively. The entire network is then fine-tuned with the learning rate reduced to 0.001.

**4.2. Training Data Generation**

Reflection Image Synthesis: Real images with ground truth background layers are difficult to obtain. To generate enough training data, simply mixing two images with different coefficients (such as 0.8 for background and 0.2 for reflection) seems to be a straightforward and plausible compromise. Indeed, this strategy has been widely used in previous works [34, 29, 12, 23, 41] for analysis and quantitative evaluation. However, we found that networks trained on such images generalize poorly to real photographs. We therefore propose a novel synthesis method to better approximate real-world reflection.

As previously mentioned, we assume that the reflection is somewhat blurry relative to the background layer, which tends to be more sharp and clear. This is a valid assumption for many cases, as the camera is usually focused on the background target. Moreover, a photographer can easily widen the camera’s aperture and blur out the reflections. A similar assumption is used by [23].

We expand on this assumption using a simple complementary observation. First, according to the Fresnel equation, we know that when incident light travels across media with different refractive indices (e.g., glass and air) in front of some scene of interest, a portion of that light will be reflected back to the image plane. However, the actual visibility of this reflected light to the human eye or a camera depends on the relative intensity of light transmitted from the background scene. Therefore we may expect that only portions of the background layer transmitting modest light will be appreciably obstructed via a reflection layer, even if the latter is uniformly present across a scene. And yet in regions where reflections are apparent, their intensity can still
Randomly pick two natural images normalized to \([0, 1]\) as background \(B\) and reflection \(R\) respectively, then:

1. \(\tilde{R} \leftarrow \text{gauss\_blur}_{\sigma}(R)\) with \(\sigma \sim U(2, 5)\)
2. \(I \leftarrow B + \tilde{R}\)
3. \(m \leftarrow \text{mean}(\{I(x, c) \mid I(x, c) > 1, \forall x, \forall c = 1, 2, 3\})\)
4. \(\tilde{R}(x, c) \leftarrow R(x, c) - \gamma \cdot (m - 1), \forall x, \forall c; \gamma\) set as 1.3
5. \(\tilde{R} \leftarrow \text{clip}_{[0, 1]}(\tilde{R})\)
6. \(I \leftarrow \text{clip}_{[0, 1]}(B + \tilde{R})\)

Output \(I\) as the synthesized image with \(B\) as the ground-truth background layer.

Figure 3. Reflection image data synthesis for weakly-supervised learning. The subtraction and clipping operators allow for reflection intensities that can saturate and vanish in various regions.

be arbitrarily large (even if partially blurred) and so a purely additive model with a weakly scaled reflection component is not always physically plausible.

Based on the above observations, we develop a new method summarized in Fig. 3 to synthesize images with realistic background and reflection layers. One key difference from naive image mixing is that the brightness overflow issue is avoided not by scaling down the brightness, but by subtracting an adaptively computed value followed by clipping. In this way: (i) reflection-free regions are very likely to appear which is consistent with natural images, (ii) strong reflections can occur in other places, and (iii) the reflection contrast is better maintained. Also note that we randomly pick the \(\sigma\) of the Gaussian blur kernel between \([2, 5]\), in contrast to a fixed large value (\(\sigma = 5\)) tested in [23]. We are interested in handling a wider range of real cases, including cases with lesser blurry reflections. For more comparisons and details regarding the synthesis process, see the supplemental material.

Note that synthetically generated samples serve as a form of weak supervision, as we ultimately deploy the trained model on new real images containing natural reflections.

**Generation of Smoothed Images:** For image smoothing, our network is trained to approximate the effect of existing filters. The training and testing data will simply be the smoothed images generated by applying those filters to existing image databases. Various filters are tested in Sec. 5.

### 5. Experiments

This section first presents self-comparison experiments to analyze the importance of proposed network architecture design choices. We then evaluate the full CEILNet against the state-of-the-art algorithms on the single-image reflection removal and image smoothing tasks.

#### Table 1. Result comparison for the image smoothing task (learning an \(L_0\) filter [37]). CEILNet outperformed Domain Transform (DT) [10] and simple I-CNNs without E-CNN by large margins.

<table>
<thead>
<tr>
<th>Method</th>
<th>MSE</th>
<th>PSNR</th>
<th>SSIM</th>
</tr>
</thead>
<tbody>
<tr>
<td>DT + input image edge</td>
<td>124.41</td>
<td>27.38</td>
<td>0.806</td>
</tr>
<tr>
<td>DT + pred. edge by E-CNN</td>
<td>51.26</td>
<td>31.17</td>
<td>0.964</td>
</tr>
<tr>
<td>DT + GT edge</td>
<td>45.67</td>
<td>31.66</td>
<td>0.971</td>
</tr>
<tr>
<td>I-CNN only</td>
<td>37.79</td>
<td>32.58</td>
<td>0.969</td>
</tr>
<tr>
<td>I-CNN only (64 layers)</td>
<td>31.86</td>
<td>33.33</td>
<td>0.973</td>
</tr>
<tr>
<td>I-CNN with input edge (64 layers)</td>
<td>22.50</td>
<td>34.86</td>
<td>0.979</td>
</tr>
<tr>
<td>CEILNet</td>
<td>13.34</td>
<td>37.10</td>
<td>0.989</td>
</tr>
</tbody>
</table>

#### 5.1. Network Analysis

For simplicity, our analysis will be mainly based on the representative results of approximating \(L_0\) smoothing [37]. These results were obtained on 100 PASCAL VOC test images (refer to Sec. 5.3 for training and testing details).

**Is the target edge map from E-CNN helpful?** To verify the importance of the target edge map for image reconstruction, we removed E-CNN and trained a simple I-CNN model without the predicted target edge or replacing the predicted target edge with the input image edge. Table 1 shows that I-CNN with predicted edge (i.e., our CEILNet) outperformed I-CNN alone and I-CNN with input edge by significant margins, demonstrating the importance of target edge prediction. A visual comparison is shown in Fig. 4.

Similar results were obtained for reflection removal: the predicted background edges were found to be helpful for layer separation. Figure 5 shows a typical example.

**Does simply stacking more layers in I-CNN suffice?** Ideally, with enough depth, one may expect the network to handle target edge prediction implicitly without the need for an explicit E-CNN. We tried training a simple I-CNN with more convolutional layers and found that the performance gets saturated quickly after more than 50 layers (a detailed figure is deferred to the supplementary material). Our CEILNet, i.e., 32-layer E-CNN + 32-layer I-CNN, achieved much better results than a 64-layer simple I-CNN (as shown in Table 1) and a best-performing 70-layer one (PSNR 33.37 vs. 37.10 by CEILNet).

**Is I-CNN better than a traditional method?** To answer this question, we replaced I-CNN with the Domain Transform (DT) technique [10]. The predicted target edge map by E-CNN and the input image are fed to DT to output smooth images. We also tried the ground-truth target edge and the input image edges. Table 1 shows that I-CNN with predicted edge from E-CNN (i.e., our CEILNet) outperformed all DT results by large margins. A visual comparison is presented in Fig. 4.
For reflection removal, we also tried applying the layer separation algorithm in [22] with our predicted edges as input, but no satisfactory results were obtained.¹

### 5.2. Reflection Removal

**Training Data:** We applied the method described in Sec. 4.2 to synthesize training data for the reflection removal task to accommodate our weakly-supervised learning pipeline. We used 17K natural images from the PASCAL VOC dataset [4] for the synthesis. These images were collected from Flickr, and represent a wide range of viewing conditions. Two natural images were used to generate one synthetic image containing a background layer and a reflection layer, resulting in 8.5K synthetic images in total. We split these images into a training set of 7,643 images and a test set with 850 images for quantitative comparison. The training images are also cropped to 224×224. The algorithm described in Fig. 2 was then applied, and we did not observe over-fitting in any of the training sub-tasks.

#### Method Comparison:
We tested our CEILNet against the state-of-the-art, single-image approach from [23]. For a quantitative comparison, we randomly selected 100 images in our test dataset, and evaluate the PSNR and SSIM metrics for the predicted B from both algorithms. The default parameters of [23] were used for evaluation. Table 2 shows that CEILNet significantly outperformed [23].

Figure 6 presents some qualitative results of our method compared against [23] on both synthetic and real images. The reflection image estimates are computed via $R = I - B$. We tuned the parameters of [23] for each image to get the best visual result. It can be seen that [23] tends to generate a blurry reflection layer with brightness covering the whole image. It largely failed to remove less blurry, high contrast or partially present reflections. This is because [23] employs strong priors to penalize abrupt color transitions in R which, however, may be common in real cases. In contrast, our CEILNet is able to separate out the reflections reasonably well even if some of them are very bright and shiny, and without jeopardizing the reflection-free regions. More results and comparisons are deferred to the supplementary material due to space limitation.

### 5.3. Image Smoothing

**Training Data:** For image smoothing, we used the 17K natural images in the PASCAL VOC dataset as input, and generated the filtered images using existing image smoothing algorithms as the ground truth. These images are fed to the network without cropping. We also randomly pick 100 images in the PASCAL VOC dataset for testing. We again use the algorithm in Fig. 2 to train our CEILNet.

#### Method Comparison:
We tested 8 image smoothing algorithms for the network to approximate, including bilateral filter (BLF) [26], iterative bilateral filter (IBLF) [8], rolling guidance filter (RGF) [42], RTV texture smoothing (RTV) [39], weighted least square smoothing (WLS) [6],

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¹[22] utilizes multiple images to identify background edges, which are used as prior to guide layer septation. Their septation algorithm did not work well with our edge maps as it assumes non-blurry reflections and requires binary edge maps.

### Table 2. Quantitative comparison of our method with Li and Brown [23] on 100 synthetic images with reflection.

<table>
<thead>
<tr>
<th></th>
<th>PSNR</th>
<th>SSIM</th>
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<tbody>
<tr>
<td>[23]</td>
<td>15.50</td>
<td>0.786</td>
</tr>
<tr>
<td>Ours</td>
<td>18.55</td>
<td>0.857</td>
</tr>
</tbody>
</table>

Best viewed on screen with zoom.
Figure 6. Qualitative results of the single image reflection removal task on synthetic (top two rows) and real (bottom rows) images. Visually inspected, our method can largely remove the reflection and produce reasonably good background images under various situations. The method of Li and Brown [23] clearly underperformed. The last example is a partial failure case for our method due to the strong reflection and weak transmitted light, but still the result is superior to [23]. Best viewed on screen with zoom.

Table 3. Quantitative comparison on the image smoothing tasks. We report the PSNR and SSIM metrics (larger is better) for 8 different smoothing filters, and compare our method with Xu et al. [38]. Average values are computed with the preceding 7 cases.

<table>
<thead>
<tr>
<th></th>
<th>BLF</th>
<th>IBLF</th>
<th>L0</th>
<th>RGF</th>
<th>RTV</th>
<th>WLS</th>
<th>WMF</th>
<th>L1</th>
<th>Ave.</th>
</tr>
</thead>
<tbody>
<tr>
<td>PSNR</td>
<td>35.02</td>
<td>32.97</td>
<td>31.66</td>
<td>32.49</td>
<td>35.68</td>
<td>33.92</td>
<td>29.62</td>
<td>32.62</td>
<td></td>
</tr>
<tr>
<td>Ours</td>
<td>43.76</td>
<td>38.18</td>
<td>37.10</td>
<td>42.05</td>
<td>44.03</td>
<td>41.39</td>
<td>39.70</td>
<td>36.99</td>
<td>40.40</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>BLF</th>
<th>IBLF</th>
<th>L0</th>
<th>RGF</th>
<th>RTV</th>
<th>WLS</th>
<th>WMF</th>
<th>L1</th>
<th>Ave.</th>
</tr>
</thead>
<tbody>
<tr>
<td>SSIM</td>
<td>0.976</td>
<td>0.962</td>
<td>0.966</td>
<td>0.950</td>
<td>0.974</td>
<td>0.963</td>
<td>0.960</td>
<td>0.964</td>
<td></td>
</tr>
<tr>
<td>Ours</td>
<td>0.995</td>
<td>0.989</td>
<td>0.989</td>
<td>0.991</td>
<td>0.994</td>
<td>0.989</td>
<td>0.989</td>
<td>0.982</td>
<td>0.990</td>
</tr>
</tbody>
</table>

Table 4. Running time comparison (in seconds). We compare the running time of our method against different traditional methods as well as deep learning based methods of Xu et al. [38] and Liu et al. [24] at various resolutions.

<table>
<thead>
<tr>
<th></th>
<th>BLF</th>
<th>IBLF</th>
<th>L0</th>
<th>WMF</th>
<th>RTV</th>
<th>WLS</th>
<th>L1</th>
<th>[38]</th>
<th>[24]</th>
<th>Ours</th>
</tr>
</thead>
<tbody>
<tr>
<td>QVGA (320×240)</td>
<td>0.03</td>
<td>0.11</td>
<td>0.22</td>
<td>0.17</td>
<td>0.62</td>
<td>0.41</td>
<td>0.70</td>
<td>32.18</td>
<td>0.23</td>
<td>0.07</td>
</tr>
<tr>
<td>VGA (640×480)</td>
<td>0.12</td>
<td>0.40</td>
<td>0.73</td>
<td>0.66</td>
<td>2.18</td>
<td>1.80</td>
<td>3.34</td>
<td>212.07</td>
<td>0.76</td>
<td>0.14</td>
</tr>
<tr>
<td>720p (1280×720)</td>
<td>0.34</td>
<td>0.97</td>
<td>1.87</td>
<td>2.43</td>
<td>4.98</td>
<td>5.74</td>
<td>13.26</td>
<td>904.36</td>
<td>2.16</td>
<td>0.33</td>
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</tbody>
</table>
Figure 7. Qualitative results on the image smoothing task. All the methods are trained to approximate $L_0$ smoothing [37]. Top: Comparison with Xu et al. [38]. Bottom: Comparison with Liu et al. [24] on the 256×256 image size. Our results are visually much closer to the ground truth. The numbers show the PSNR values. Best viewed on screen with zoom.

Table 5. Comparison with Liu et al. [24] on image smoothing.

<table>
<thead>
<tr>
<th></th>
<th>PSNR</th>
<th>SSIM</th>
</tr>
</thead>
<tbody>
<tr>
<td>$L_0$</td>
<td>32.26</td>
<td><strong>36.62</strong></td>
</tr>
<tr>
<td>RGF</td>
<td>38.64</td>
<td><strong>40.80</strong></td>
</tr>
<tr>
<td>WLS</td>
<td>38.29</td>
<td><strong>40.27</strong></td>
</tr>
<tr>
<td>WMF</td>
<td>33.29</td>
<td><strong>37.75</strong></td>
</tr>
<tr>
<td>Ave.</td>
<td>35.64</td>
<td><strong>39.36</strong></td>
</tr>
</tbody>
</table>

weighted median filter (WMF) [45], $L_0$ smoothing [37] and $L_1$ smoothing [2].

Table 3 presents the quantitative results of our method and [38] on the test set with 100 images. In can been seen that our network achieved much better results than [38] for all the 8 filters, on both the PSNR and SSIM metrics. We also compare our results with [24], whose models for 4 filters are publicly available. Note that at the time of writing, the latest code of [24] released by their authors cannot run on arbitrary image size due to some implementation constraints, so we use their default size of 256×256. Table 5 shows that our method also significantly outperformed [24] for all the 4 filtering algorithms.

Figure 7 presents two visual results of our method compared to others. It can be observed that the method of [24] generated obvious artifacts compared to the ground truth for both two cases, while [38] produced some unwanted color transitions in the right and bottom left regions of the “bridge” image, resulting in a PSNR even lower than the raw input image. In contrast, our results are visually close to the ground truth. More results and discussions can be found in the supplementary material.

Running Time: We evaluate the running time of the eight traditional smoothing algorithms and the three deep learning based methods with respect to different image sizes on the same computer (NVIDIA DGX-1). Table 4 shows that our method\(^2\) runs faster than others in most of the cases. It can approximate any traditional algorithm at about 100 fps for 1280×720 images.

6. Conclusions and Future Work

We have proposed CEILNet, a generic deep architecture for edge-sensitive image processing. We provided the first learning-based solution to the challenging single image reflection removal problem using CEILNet and with the aid of a novel reflection image synthesis method. We have also significantly advanced the state-of-the-art in DNN-based image smoothing. Our future work includes testing CEILNet on more image processing tasks. Promising results for image denosing and inpainting have been obtained in our preliminary experiments.

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\(^2\)The running time of our method reported in the previous ICCV version included the time for the data generation process. Here we exclude that part for a fair comparison.
References


[43] Q. Zhang, L. Xu, and J. Jia. 100+ times faster weighted median filter. In *IEEE Conference on Computer Vision and Pattern Recognition (CVPR)*, 2014. 1, 8